# Technical Efficiency in the Agricultural Sector– Evidence from a Conditional Quantile - Based Approach

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#### Abstract

The tightening farm budget constraints due to the reduction of the agricultural public financing and the negative gap between the agricultural input and output prices should force farms to work as efficient as possible. This paper applies a fully nonparametric approach to estimate potential efficiency gains in the agricultural sector while accounting for heterogeneity among farms. Using the 'conditional  $\alpha$ -quantile robust partial frontier technique' we investigate the efficiency of agricultural enterprises specialized in cereals production. The data originate from the EU Farm Accounting Data Network. The results indicate a considerable variability in terms of technical efficiency among farms. We find evidence that the owned to total land, the family to total labor, the irrigation system, the region at which the farm is located and the year of observation have a statistically significant impact on productivity.

**Keywords:** Agriculture, Efficiency, Conditional  $\alpha$  -quantile robust partial frontier *JEL Classification*: D23, Q12

#### 1. Introduction

The tightening budget constraints, due to the reduction in agricultural subsidies and the negative gap between the agricultural input and output prices, force farms to work as efficient as possible. The decrease in agricultural subsidies arises from the changes in the European Union's (EU's) Common Agricultural Policy (CAP). While the CAP budget amounted to 0.46% of the EU gross national income (GNI) in 2000, it is - 0.34% of the EU GNI in 2011. Another reduction in farm income originates from a significant deviation between the agricultural input prices and the agricultural output prices. While the agricultural input prices are rising over time, the respective output prices are diminishing. One such case is Greece in which the agricultural input price index increased from 100 in 2005 to 112.2 in 2011, whereas the agricultural output price index decreased from 100 in 2005 to 82.9 in 2011. Obtaining insights in the relative efficiency could allow managers and policy makers to offset the consequences of decreasing budgets. Over the past 40 years, the efficiency literature has largely evolved around two alternative methodological approaches to measure (in)efficiency. While both approaches consider relative efficiency, they differ in the assumptions they impose on the observed data. The parametric approach augments the classical regression model by a nonpositive error term capturing technical inefficiency in production (e.g. Battese and Coelli, 1988; Stevenson, 1980; Aigner et al., 1977). Similar parametric methods require restrictions on the shape of the production frontier. Therefore, they lack robustness when the functional form of the frontier and/or the error structure are not correctly specified, which is often the case in applications (Yatchew, 1998). In farming, for example, there is no evidence on the correct specification of the production frontier, which is likely to result in biased parametric estimations.

The non-parametric approach involves the nonparametric envelopment of a given sample of observations by a piece-wise linear hull. Non-parametric models such as the Data Envelopment Analysis (DEA; Charnes et al., 1978) and the Free Disposal Hull (FDH; Deprins et al., 1984) dispense with the need to specify functional forms and error structures and appear to be quite appealing for efficiency analysis. The original contributions rely, however, on a deterministic assumption: all observations belong to the production set with probability equal to 1. Consequently, they are sensitive to noise, outliers and/or measurement errors. This might impose endogeneity issues if the amount of output is subject to random shocks. In farming, for example, the level of realized output can be different from the expected output because of weather conditions and pest attacks. The corresponding noise results in biased estimates where 'efficient' observations are basically productions without negative shocks.

Despite the discussed risks of applying the parametric and non-parametric approaches to the agricultural sector, there are numerous applications in the academic literature. An overview is provided by Mendes et al. (2012) and Bravo-Ureta and Pinheiro (1993) for parametric applications to the agricultural sector, and by Tavarez (2009) for non-parametric applications. Examples include Giannakas et al. (2001), Tzouvelekas et al. (2002), Madau (2007), Hassine (2007) and Barnes (2008). These studies implement a two-stage procedure in order to investigate the causes of technical inefficiency. In a first stage, the relative efficiencies are estimated using the Stochastic Frontier Analysis, while in a second stage the correlation of farm-specific factors on efficiency is estimated. For the non-parametric set-up, recent research with applications to the agricultural sector include Lansink et al. (2002), Thiele and Brodersen (1999), Brummer (2001), Kuosmanen et al. (2006), Cherchye and Van Puyenbroeck (2007), André (2009), Latrufee et al. (2008; 2012) and Galanopoulos et al. (2011).

This paper implements a more recent approach to measure relative efficiency in the agricultural sector. The approach accommodates the drawbacks of the parametric and non-parametric approach. It follows a recent research avenue comprising nonparametric efficiency estimators that are robust to atypical observations. The order-*m* estimator introduced by Cazals et al. (2002) and the *a*-quantile estimator introduced by Aragon et al. (2005) rely on partial frontiers which do not envelop all data points. As such, the partial frontiers provide less extreme surfaces to benchmark the individual production units and, thus, they are less vulnerable to extreme observations compared to the full frontier<sup>1</sup>.

<sup>&</sup>lt;sup>1</sup> Since the *a*-quantile estimator is a deterministic estimator it does not allow for an error term or meas-

The robust efficiency estimators have the same asymptotic properties as the FDH and the DEA estimators but they attain better convergence rates (Daraio and Simar, 2007; Aragon et al., 2005; Cazals et al., 2002).

It has long been recognized that efficiency estimates which do not account for the operational environment of individual production units have only a limited value. Therefore, if the units in a given sample are influenced by environmental/exogenous factors the efficiency analysis should control for this heterogeneity (e.g. Daraio and Simar, 2005; De Witte and Kortelainen, 2013). Parametric approaches control for the influence of background variables in a similar way as standard econometric techniques account for heterogeneity. As a disadvantage, again, it requires strong parametric assumptions. The nonparametric approaches typically capture the influence of background variables in a two-stage approach where the relative efficiency estimates are correlated to control variables. While there is a large debate on the appropriate procedure and usefulness of the approach (e.g., Simar and Wilson, 2007; Banker and Natarajan, 2008), all current suggestions still rely on model specifications for the second stage (in particular, bootstrapping in the suggestion of Simar and Wilson, 2007; parametric specification in the suggestion of Banker and Natarajan, 2008). On the contrary, the partial frontiers are based on a probabilistic formulation of the production process. This paper adopts a procedure to incorporate the operating environment in a very natural way in the partial frontiers (that is, by conditioning on the exogenous environment). The so-called 'conditional efficiency approach' generalizes previous models and allows a researcher to investigate the impact of environmental variables on the distribution of efficiencies. Moreover, it dispenses with the separability condition and it does not require any a priori specification regarding the impact of exogenous factors.<sup>2</sup>

The robust nonparametric efficiency estimators have been applied to banking, mutual funds, post offices, and education (e.g. De Witte and Kortelainen, 2013; Halkos and Tzeremes, 2011; Wheelock and Wilson, 2008 and 2009; Daouia and Simar, 2007; Daraio and Simar, 2007; Aragon et al., 2005). To our best knowledge, however, analogous implementations to the agricultural sector are less than a handful. This is disconcerting since, as argued before, the approaches relying on partial frontiers are very suitable for measuring efficiency in the presence of random shocks and unknown production frontiers.

In summary, this paper contributes to the literature in three aspects. First, as discussed before, it applies the nonparametric robust  $\alpha$  -quantile procedure to the conditional efficiency framework.<sup>3</sup> Second, it applies nonparametric efficiency approaches to the cereal sector utilizing panel data. To our best knowledge, this is the first paper to do

urement errors in the data generating process. However, since a partial frontier model is robust to outliers and extreme points it is suitable for efficiency estimation when the output is subject to random shocks.

<sup>&</sup>lt;sup>2</sup> The separability condition holds when the environmental variables affect only the distribution of the efficiencies and not the range of achievable input-output combinations (shape of the production set). In cases where the separability condition does not hold the two-stage approaches are inappropriate and efficiency estimation conditionally on environmental variables can be used (Daraio et al, 2010).

<sup>&</sup>lt;sup>3</sup> The *a*-quantile estimator is continuous and, thus, capable of covering the interior of the attainable set entirely. It has, therefore, from an economic standpoint an advantage over the discrete order-*m* estimator (that is, it gives a clearer indication of technical efficiency) (Aragon et al., 2005).

so. In particular, we use a sample of cereal farms in Greece. The data originate from the EU Farm Accounting Data Network (FADN) for the years 2008-2011. Derived from national survey data, FADN is an extremely rich and harmonized source of microeconomic data. This makes it suitable for efficiency analysis (see also Lansink et al., 2002; Scardera and Zanoli, 2002). Third, using insights from nonparametric econometrics, we reveal which control variables influence efficiency. This yields insights for policy makers and farm's managers.

The remainder of this paper unfolds as follows. Section 2 presents the suggested analytical framework of the conditional  $\alpha$ -quantile efficiency measures. Section 3 discusses the data and the empirical results. Section 4 offers conclusions and suggestions for future research.

#### 2. Analytical Framework

#### 2.1 The Unconditional $\alpha$ -Quantile Estimator

To estimate relative efficiency, we relate the resources (inputs) of observations to the produced outcomes (outputs) of observations. Let  $X \in R_+^p$  be the vector of inputs and  $Y \in R_+^q$  be the vector of outputs from a given production process. Let  $\Psi$  be the production possibility set (that means, the set of all feasible input-output combinations).  $\Psi$  satisfies the assumption of free disposability (e.g. Deprins et al, 1984). As noted by Cazals et al. (2002), the production process can be described by the joint probability measure of (X, Y) on  $R_+^p x R_+^q$ . This joint probability measure is completely characterized by the knowledge of the probability function:

(1) 
$$H_{XY}(x,y) = prob(Y \ge y, X \le x)$$

Equation (1) gives the probability that an observation that operates at level (x, y) is dominated. The support of  $H_{XY}$  is the production set  $\Psi$ . Relation (1) can be expressed as:

(2) 
$$H_{XY}(x,y) = prob(Y \ge y | X \le x) prob(X \le x) = S_{Y|X}(y|x)F_X(x)$$

where  $S_{Y|X}(y|x)$  denotes the (non-standard) conditional survival function of Y and  $F_X(x)$  for the distribution function of X.

The traditional nonparametric efficiency estimators are deterministic in nature since they assume that  $prob(x, y) \in \Psi = 1$  (meaning that all observations belong to the production set). They are therefore sensitive to outliers: observations that heavily influence estimates of the upper boundary of the support of  $S_{Y|X}(y|x)$ .

To reduce the influence of outliers, various approaches have been suggested. Daraio and Simar (2005) proposed the 'robust order-m method'. This approach draws repeatedly and with replacement m observations with lower inputs (in the output-oriented case) or with more outputs (in the input-oriented case) from the sample, and estimates efficiency relative to these smaller subsamples. The robust order-m method mitigates the influence of outliers as an outlying observation does not constitute the reference set in every subsample.

The paper at hand focuses on an alternative approach suggested by Aragon et al. (2005). They proposed the ' $\alpha$ -quantile efficiency estimator'. Daouia and Simar (2007) extended the method to allow for production processes involving multiple inputs and outputs. Specifically, for all x such that  $F_x(x) > 0$  and for  $\alpha \in (0,1]$ , Daouia and Simar (2007) define the  $\alpha$ -quantile output efficiency score for the unit operating at level (x, y) as:

(3) 
$$\lambda_{\alpha}(x,y) = \sup \left\{ \lambda \left| S_{Y|X}(\lambda y | x) > 1 - a \right\} \right\}$$

When  $\lambda_a(x, y) = 1$ , the unit belongs to the  $\alpha$ -quantile frontier meaning that only  $(1-\alpha)100\%$  of the units using inputs less than (or equal to) x dominate it. When  $\lambda_a(x, y) > (<)1$  a proportional increase (decrease) in all outputs is necessary to bring the unit (x, y) on the  $\alpha$ -quantile frontier. On the basis of (3), the  $\alpha$ -quantile frontier is the pxq vector  $(x, \lambda_a(x, y)y)$  where  $(x, y) \in \Psi$ . In the special case with q = 1,  $y^E(x) = \lambda_a(x, y)y = \phi(x)$  stands for the  $\alpha$ -quantile production function.

The traditional FDH estimator is a special case of the  $\alpha$ -quantile estimator. In particular, if  $\alpha = 1$  the  $\alpha$ -quantile efficiency score reduces to that obtained from the FDH estimator. It is clear that the FDH estimator envelops all data points such that it is sensitive to outlying observations. With  $\alpha < 1$ , the  $\alpha$ -quantile frontier is a partial estimator. Because of its continuous 'trimming' nature, the  $\alpha$ -quantile efficiency estimator does not envelope all data points; it allows for 'super-efficient' units (meaning those with  $\lambda_a < 1$ ) to be located outside the estimated frontier and, thus, it avoids the problems of deterministic estimators such as in FDH (which is also the case in the order-*m* model). Technical details on the empirical implementation of (3) with *n* production units in a sample are presented in the Appendix (part A).

As a major advantage on the order-*m* approach, the  $\alpha$  -quantile approach can better handle random variation in the outputs, since the extreme  $\alpha$  -quantile efficiencies are more robust than extreme order-*m* measures (Daouia and Simar, 2007). The latter is convenient in the agricultural sector, where outputs yearly differ because of unmeasured variation (due to, e.g., weather conditions). As a disadvantage, the  $\alpha$  -quantile frontier requires a selection of the size of  $\alpha$ . We follow Daraio and Simar (2006 and 2007) and choose an appropriate level for  $\alpha$  such that to achieve an adequate level of robustness.<sup>4</sup>

# 2.2 The Conditional $\alpha$ -Quantile Estimator

In previous section, we presented the unconditional  $\alpha$  -quantile estimator. This estimator does not account for heterogeneity in the sample. In most applications, however, ignoring the heterogeneity among observations results in biased estimates. This section outlines the conditional  $\alpha$  -quantile estimator, which does capture in a nonparametric way the differences among observations.

Let  $Z \in R^r$  denote a vector of environmental (or control) variables which may (or may not) influence the relative performance of observations. To account for the opera-

<sup>&</sup>lt;sup>4</sup> The level of robustness refers to the percentage of the sample points to be left outside of the partial frontier (that means, the percentage of "super-efficient" units in the sample).

tional environment in efficiency estimation with partial frontiers, Cazals et al. (2002) considered the data generating process of the random variable (X, Y, Z) and focused on the conditional distribution of (X, Y) for a given value of Z:

(4) 
$$H_{XY|Z}(x, y|z) = prob(Y \ge y, X \le x|Z = z) = S_{Y|X,Z}(y|x, z)F_{X|Z}(x/z)$$

giving the probability that the unit (x, y, z) will be dominated by other units facing exactly the same operational environment (that means, having Z = z). The support of  $H_{XY|Z}$  is denoted by  $\Psi^{Z}$  (a set possibly different from the production set  $\Psi$ ). Daouia and Simar (2007) defined the conditional  $\alpha$ -quantile efficiency estimator as:

(5) 
$$\lambda_{\alpha}(x,y|z) = \sup\left\{\lambda \left| S_{Y|X,Z}(\lambda y|x,z) > 1 - a\right\}\right\}$$

 $\lambda_a(x, y|z)$  has an interpretation analogous to that of  $\lambda_a(x, y)$ ; that is,  $(1 - \lambda_a(x, y|z))100\%$  stands for the radial feasible change in all outputs a unit operating at (x, y, z) should perform to reach the efficient boundary of the set  $\Psi^z$ . Technical details on the empirical implementation of (5), including an operationalization of Z = z by a kernel approach, are presented in the Appendix (part B).

## 2.3 The influence of Environmental Factors

Finally, it is interesting to examine the influence of environmental/exogenous factors on the relative efficiency of the observations. Environmental factors can both have a favorable (e.g., soil fertility) or unfavorable (e.g., soil roughness) influence on the efficiency of the observations.

One can nonparametrically examine the correlation between the environmental variables and the efficiency estimates by using the ratio of the conditional to the unconditional *a*-quantile efficiency scores (that means the ratio of the radial distances from the conditional and the unconditional frontiers, respectively). Specifically, Daraio and Simar (2005, 2007) propose the estimation of the following nonparametric regression model:

$$(6) \quad \varphi_{n,i} = g(z_i) + e_i$$

where

(7) 
$$\varphi_{n,i}(x_i, y_i | z_i) = \frac{\hat{\lambda}_{a,n,i}(x_i, y_i | z_i)}{\hat{\lambda}_{a,n,i}(x_i, y_i)}, \quad i = 1, 2, ..., n,$$

g denotes a conditional mean function, and  $e_i$  stands for an error term (with  $E(e_i|z_i) = 0$ ). The nonparametric regression line indicates whether the environmental variable has a favorable or unfavorable influence on the efficiency. In the outputoriented analysis, and for a univariate and continuous Z, a horizontal smoothed regression curve implies that the environmental factor has no influence on efficiency; an increasing (decreasing) regression curve implies that efficiency rises (falls) with the amount of Z. Environmental variables with a favorable impact behave as a substitute input which augments the productivity of the inputs X. In the opposite case, the presence of Z reduces productivity by entailing more of the inputs X per unit of output. It should be noted that the impact is not necessarily monotonic for all values of Z. An increasing part of the regression may be followed by a decreasing one (and the opposite).

De Witte and Kortelainen (2013) extended the ideas of Daraio and Simar (2005 and 2007) to general Z vectors involving mixed continuous and discrete (both ordered and unordered) environmental variables. Moreover, they developed appropriate tools of statistical inference. With multiple Z factors, the visualization of individual impacts can be achieved through the so-called *partial smooth regression plots* where only one such factor at a time is allowed to change and the rest are kept at fixed values (for instance, the rest of the continuous factors are set at the first, the second or the third quartile, while the discrete factors are evaluated once at each category).

The statistical inference relies on the Local Linear model which allows the estimation of both the continuous smooth function in (6) as well as the gradient vector associated with the individual environmental factors (Racine et. al., 2006).<sup>5</sup> The Local Linear method involves the following minimization problem:

(8) 
$$\min_{\{\gamma,\delta\}} \sum_{i=1}^{n} (\hat{\varphi_i} - \gamma - \delta(z_i^c - z^c))^2 K_h(z, z_i),$$

where  $z_i = (z_i^c, z_i^o, z_i^u)$  includes the values of the continuous and the discrete (ordered and unordered) environmental variables,  $\gamma$  and  $\delta$  are local coefficients, and  $K_h$  is the generalized product kernel function with appropriate bandwidth; the gradient vector of interest is  $\delta(z^c)$ . Let  $Z_s \in Z$  be the *s* the component of vector *Z* and  $Z_o$  be the vector of all other environmental variables. Then, the null hypothesis (no influence) is:

(9) 
$$E(\varphi|Z_s, Z_O) = E(\varphi|Z_O) \Rightarrow \frac{\partial E(\varphi|Z_s, Z_O)}{\partial Z_s} = 0 \Rightarrow \delta(Z_s) = 0$$
 almost everywhere

and the alternative is  $\delta(Z_s) \neq 0$  (De Witte and Kortelainen, 2013). Details on the estimation of the gradient  $\delta(z^c)$  and the associated with it vector of p - values are presented in the Appendix (Part C). The p - values together with the *partial smooth regression plots* allows a researcher to characterize the sign of the impact of each individual environmental factor on efficiency as well as its statistical significance.

# 3. Technical Efficiency of Cereal Farms

#### 3.1 Selection of input, output and environmental variables

Using the outlined conditional efficiency framework, we examine the relative efficiency of agricultural enterprises specialized in cereals production in Greece. Greece makes an interesting case study as efficiency improvements are necessary to offset the

<sup>&</sup>lt;sup>5</sup> Compared to alternative nonparametric regression estimators (e.g. the Nadaraya-Watson one), the Local Linear Estimator is less sensitive to boundary effects.

significant deviation between the agricultural input-output prices and the decrease of EU agricultural subsidies. The choice of enterprises specialized in cereals production is based on the fact that cereals are the most basic nutrition product. In Greece and in the European Union cereals are cultivated in about the 1/4th and 1/3th of the total cultivated land respectively (European Commission, 2012).

The empirical analysis relies on a panel data set coming from the Farm Accounting Data Network (FADN) of the EU. This dataset is a main tool for the Common Agricultural Policy simulations and scenarios implementations. The FADN extracts a representative sample of farms from the population. In particular, the total population of farms is first stratified according to their economic size and the type of farming. Stratification is a classical statistical technique used to increase sample efficiency that is to minimize the number of farms required to represent the farms in the field of observations. Next, FADN randomly selects farms within each stratification cluster. The procedure followed by each member-state produces weighted samples. The sampling is repeated yearly. For this paper we used the most recently panel finalized data set which refers to the accounting years 2008-2011. The FADN, for this time period, provides information from 632 specialized cereal farms located in all regions of Greece.<sup>6</sup>

In the conditional  $\alpha$  -quantile estimations, we need to specify input and output variables. Following previous literature (e.g. Giannakas et al., 2001), we used the following inputs (X): (a) total labor (comprising all family and non-family labor and measured in working hours); (b) total land (measured in 100m<sup>2</sup>); (c) fertilizers and pesticides (measures in Euros); and (d) other costs (including electric power, fuel, seeds, depreciation, interest and miscellaneous expenses, measured in Euros)<sup>7</sup>. The selection of the inputs follows a standard economic theory in which both labour, capital (i.e. land) and resources are used to produce the outputs. Farm output (Y) is the total revenue from crop production (measured in Euros)<sup>8</sup>. Our selection of inputs and outputs is in line with previous literature. In particular, Madau (2007), Giannakas et al. (2001), Tzouvelekas et al. (2002), Latruffe et al. (2008; 2012), Barnes and Cesar, (2011), Dhehibi et al. (2012) used similar inputs. Alternative inputs and outputs are used by Amor and Goaied (2010), Hassine (2007) and Barnes (2008). The latter authors used as inputs irrigated water, animal traction, rent and other land charges instead of land area, or seed expenses. Alternative outputs used in previous literature include production's quantity instead of value.

Summary statistics are provided in Table 1. The average revenue of a specialized cereal farm is 16,582 euros. The minimum and maximum values are 979 and 70,021 respectively. As we can see in Figure 1, the sample includes very small as well as very

<sup>&</sup>lt;sup>6</sup> FADN considers a farm as a 'cereal farm' if it obtains more than 2/3 of its revenues from the production of cereals.

<sup>&</sup>lt;sup>7</sup> All the nominal variables were deflated using price indices (base year 2005) from the Hellenic Statistical Authority.

<sup>&</sup>lt;sup>8</sup> As noted Banker et al. (2007), the use of aggregate revenue or aggregate cost data may result in technical efficiency estimates reflecting a mix of technical and allocative efficiency. In this paper, we deal with a single output such that the allocative efficiency from the production side is not an issue. Fertilizers, pesticides, as well as "other " inputs are expressed in monetary units to facilitate aggregation. This is a very common practice in empirical analysis of technical efficiency (*e.g.* Latruffe et al., 2008; Larsen, 2010).

large cereal farms (in terms of the utilized land), which is in line with the representativeness of the sample. We notice that the utilized arable land ranges from 215 to 18,000 ares (1 ares =  $100 \text{ m}^2$ ). The pattern of the graph is in accordance with the population clustering. We also observe a similar variation with respect to the other inputs. The farm with the lowest revenue uses 905 units of labor, 252 ares of land, spends 737 euros for fertilizers and pesticides and 3,419 euros for other costs. On the other hand the farm with the highest revenue uses 8,340 units of labour, 5,370 ares of land, spends 22,950 euros for fertilizers and pesticides and 66,595 euros for other costs. As we compare in the analysis below only look-alike farms, the differences in size are accounted for in the application.

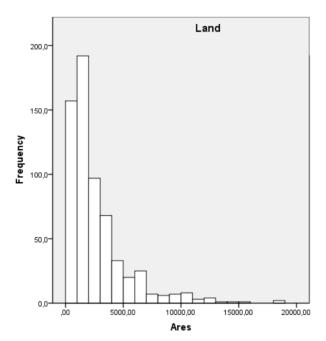


Figure 1. Frequency distribution of land under cereals.

Regarding the determinants of technical efficiency at farm level, three groups of variables are generally investigated in studies (Latruffe et al., 2004). The first group involves the characteristics of the farm, the institutional environment and the technology applied. The second involves locational and environmental variables characterizing the farming conditions and the third one the human capital. So we consider 7 environmental/exogenous factors (Z) which may influence relative efficiency. First, the region at which the farm is located involves three categories (1: the farm is located in Macedonia or in Thrace (Northern Greece), 2: the farm is located in Thessaly (Central Greece) and 3: the farm is located in Southern Greece or in the islands) which are defined according to the Commission Regulation No 1859/82. Second, the altitude at which the farm is located includes three categories (1: location below 300m, 2: location between 300m and 600m and 3: location above 600m) that are defined by the Commission Regulation No 868/2008. These two regional dummies are employed as proxies for

	Min	Quartile 1	Median	Mean	Quartile 3	Max	Standard Deviation
Output (Euros)	979	7807	1370	16582	21773	70021	12016
Labor (hours)	121	846	1550	1768	2240	8500	1223
Land (100m2)	215	1000	1746	2661	3323	18000	2598
Fertilizers and Pesticides (Euros)	9	1794	3006	4309	5318	31375	4112
Other Costs (Euros)	751	6010	9399	11912	14895	71875	9105
Age of the Owner	25	41	48	49	56	75	10
Ratio of Owned to Total Land	0	0.11	0.31	0.40	0.64	1	0.33
Ratio of Family to Total Labor	0.31	1	1	0.96	1	1	0.11
Ratio of Irrigated to Total Land	0	0	0.02	0.25	0.45	1	0.37
Year (1= 2008, 2= 2009, 3=2010, 4=2011)	1	2	3	2.64	4	4	1.10
Region (1= Northern Greece, 2= Central Greece, 3= Southern Greece or Islands)	1	1	1	1.33	1	3	0.63
Altitude (1= <300m, 2= be- tween 300-600m, 3=>600m)	1	1	1	1.35	1	3	0.67

Table 1: Descriptive Statistics

environment characteristics (Latruffe et al., 2008; Madau, 2007). Third, the year of observation involves four categories, one for each of the four years considered (1: for 2008, 2: for 2009, 3: for 2010 and 4: for 2011). The presence of the year observation among environmental variables allows us to estimate efficiency in all periods together utilizing in this way all relevant information contained in the panel of observations. As a fourth variable we include the ratio of owned to total land since land tenure is an element of the institutional environment (Braverman and Stiglitz, 1986) and is widely used (Tzouvelekas et al., 2002; Giannakas et al., 2001; Latruffe et al., 2008; Barnes, 2008). Fifth, the part of irrigated area is considered, as it measures the significance of irrigation on the farm's production capacity of crops (Hassine, 2007). Sixth, the ratio of family to total labor is a commonly used factor (e.g. Giannakas et al., 2001; Tzouvelekas et al., 2002; Latruffe et al., 2008) and it is included in order to capture potential effects of a farm's integration in agricultural input markets on efficiency. Seventh, the age of a farmer (characteristic of on-farm human capital) serves as a proxy of entrepreneurial skill level. This has been recognized to be an important factor in explaining technical efficiency (Tzouvelekas et al., 2002; Madau, 2007).

Some descriptive statistics are presented in Table 1. As far as the environmental/exogenous (Z) variables are concerned, the age of the average farmer is 49; on average 40% of the land is owned and 25% it is irrigated while the cultivation relies mostly on family labor (the ratio of family to total labor is 96%); 75.6% of the farms are

located in Northern Greece and 15.7 % in Central Greece; 75.5% of the farms are located below 300m and 13.8% are located between 300m and 600m. As far as the year variable is considered, 19.5%, 26.6%, 24.1%, and 29.9% of the total observations come from 2008, 2009, 2010 and 2011 respectively.

The  $\alpha$ -quantile efficiency scores requires an assumption on the level of  $\alpha$ . To achieve a level of robustness at about 10 percent (i.e., only 10% of the observations is super-efficient), as suggested by Daraio and Simar (2006 and 2007), we set  $\alpha$  equal to 0.992 (Note that for alternative values of alpha, robust outcomes have been obtained).<sup>9</sup> In the conditional efficiency estimation, we use the uniform kernel function for the continuous variables and the Aitchison and Aitken (1976) discrete univariate kernel for the categorical ones.<sup>10</sup> Following Jeong et al. (2008), Hall et al. (2004) and Li and Racine (2007), we rely on least squares cross-validation for the bandwidth choice (conditional bandwidth estimation).

# 3.2 Results

#### Unconditional and Conditional Efficiency estimates

Table 2 presents the frequency distributions of the efficiency estimates. First consider the unconditional efficiency estimates. The average value of the unconditional efficiency estimates is 1.18 suggesting that cereal output could be increased by 18 percent, provided that all farms work as efficient as the best-practice farms do. This outcome is close with previous studies, although they do not refer to the same period. Tzouvelekas et al. (2002) assessed the performance of a sample of wheat farms in Greece during the 1998-1999 period using a stochastic frontier model with inefficiency effects. They observed that a 16.5 and 21.4 percent increase in organic and conventional wheat production was feasible. Hassine (2007) estimated the technical efficiency of the agricultural sector in a group of Mediterranean countries covering the period 1990-2005 and reported for Greece and cereals that the average technical efficiency is 0.82. This suggests that an increase by 18 percent in output is possible.

The majority (more than 58%) of the efficiency estimates lie in the interval [1, 1.25). Nevertheless, there has been sizable proportion of farms which can be classified as 'super-efficient' (10.44% with an efficiency estimate below 1). The vast majority of these farms are located in Northern Greece (87.9%) and in low altitude (78.8%), have irrigated land (36.3% is irrigated) and have experienced owners (farmer's age is, on average, 45.9). This suggests that the environmental/background variables may play an important role in the farm efficiency. The unconditional efficiency estimates further reveal that a sizable proportion of the farms appear to be highly inefficient. Moreover, 203 farms (or 32.12%) are best practice farms. For these farms 29.5% it is irrigated; 81.3% of the farms are located below 300m and in Northern Greece (77.8%), all higher than the whole sample's averages.

Next, consider the conditional efficiency scores, which account for the operational environment the farm is operating at. The average value of the conditional efficiency

<sup>&</sup>lt;sup>9</sup> The value of 0.991 also achieves a level of robustness close to 10 percent.

<sup>&</sup>lt;sup>10</sup> As noted by Daraio and Simar (2005) only kernels with compact support can be employed for continuous variables. Here, we experimented with the Epanechnikov kernel as well, without notable change in the results.

estimates amounts to 1.013. The overwhelming majority of farms (98%) achieve efficiency scores between 1 and 1.25. In contrast to the unconditional efficiency estimates, we do not observe 'super-efficient' farms, and the proportion of highly inefficient farms has fallen to about 0.6%. Also, 600 farms (or 94.94%) of the total lie on the respective conditional *a*-quantile frontiers. The observed differences in the two distributions suggest that the operational environment does affect the productive performance of the cereal farms in Greece<sup>11</sup>.

Efficiency	Unconditional Estimates		Conditional Estimates		
Score	No. of Farms	% of Farms	No. of Farms	% of Farms	
[0.5-1)	66	10.44	0	0	
1	203	32.12	600	94.94	
(1-1.25)	169	26.74	19	3.01	
[1.25-1.5)	93	14.72	9	1.42	
[1.5-2)	101	15.98	3	0.47	
[2-2.28)	0	0	1	0.16	

Table 2. Frequency Distribution of the Unconditional and the Conditional Estimates

# Influence of the operational environment

To examine the influence of the environmental variables on the efficiency scores, we apply the procedure as outlined in Section 2.3. For the nonparametric estimation of the Local Linear model we employ, in line with De Witte and Kortelainen (2013), the uniform kernel function for the continuous variables and the Aitchison and Aitken (1976) discrete univariate kernel function for the categorical ones<sup>12</sup>. For the bandwidth choice we use the least-squares cross-validation method. The nonparametric regression plots, visualizing the impact of each individual environmental/exogenous factor on the performance of farms in the sample, are presented in Figures 2 to 8. Note that the Local Linear models, associated with the environmental/exogenous factors, have been estimated setting the rest of the continuous factors at their 50 quantile value (a choice typically made in earlier applications of robust nonparametric efficiency estimators e.g. De Witte and Kortelainen, 2013).

The partial regression plots yield some interesting outcomes. First, Figure 2 indicates that the owner's age has a favorable impact on a farm's productive performance. As mentioned above, the information from the partial regression plots together with the *p*-values from testing the null hypotheses of no influence can be used to characterize the impact of environmental/exogenous variables and whether it is significantly different from zero. Table 3 presents the results, which indicate that the unfavorable correlation of owner's age is not significantly different from zero. Our finding is in line to parametric studies by Tzouvelekas et al. (2002) who found that age had a positive effect on farm efficiency, and to Madau (2007) who applied a stochastic frontier model to a sample of

<sup>&</sup>lt;sup>11</sup> From the two-sided Kolmogorov-Smirnov test as well as the Wilcoxon test with p-values< 2.2e-16, we reject the null hypothesis that the two distributions (unconditional and conditional) coincide.

<sup>&</sup>lt;sup>12</sup> All computations have been carried out in R. The code utilizes np package by Hayfield and Racine (2008) and it is available upon request.

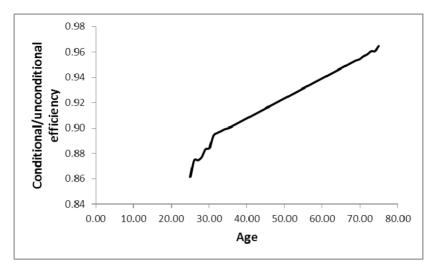


Figure 2. Partial Regression Plot: Impact of Farm Owner's Age.

cereal farms in Italy. The favorable influence observed here provides some indication that the age of the farmer as a proxy of entrepreneurial skill level tends to increase the farmer's ability.

Second, we observe an unfavorable influence on efficiency of the ratio of owned to total land (Figure 3). Table 3 suggests that this influence is significantly different from 0 at a 5% level. This finding is in contrast with earlier parametric literature (e.g., Tzouvelekas et al., 2002). Barnes (2008), who adopts a stochastic production frontier approach to study three major sectors of the Scottish agricultural economy, observed a favorable influence of land ownership. A favorable impact is typically justified by invoking the existence of agency problems in the relationship between landowners and land renters (e.g. Latruffe et al., 2008; Tzouvelekas et al., 2002). The short-run (annual)

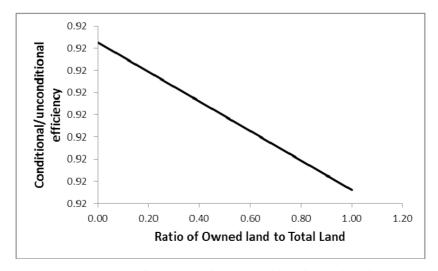


Figure 3. Partial Regression Plot: Impact of Owned to Total Land.

contracts which very often stipulate a part of the payment upfront induce land renters to 'mine' the soil degrading, thus, its quality and reducing in this way the productive performance. Nevertheless, as noted by Gavian and Ehui (1999), agency problems are to a large extend eliminated in well-functioning local land leasing markets through monitoring and reporting activities, long-run contracts, collateral pledges by the renters, and reputation effects. In the absence of agency problems, the land renter has to use all inputs efficiently to cover actual costs (including land rent). Therefore, both a positive and a negative sign of the impact can be consistent with the relevant literature.

Third, Figure 4 indicates that the ratio of family to total labor has an unfavorable impact on a farm's productive performance. From Table 3 we observe that this factor is

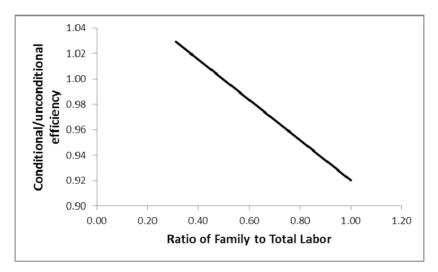


Figure 4. Partial Regression Plot: Impact of Family to Total Labor

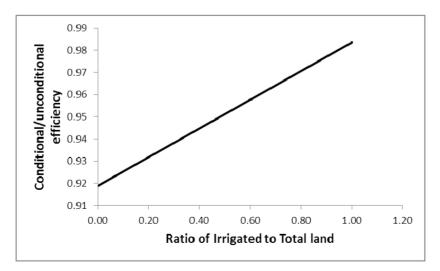


Figure 5. Partial Regression Plot: Impact of Irrigated to Total Land

significantly different from 0 at a 5% level. The result here is in contrast to the studies of Tzouvelekas et al. (2002) and Giannakas et al. (2001) who inferred a higher efficiency of family operated farms (i.e., farms with a low share of hired labor to total labor expenses) relative to farms with a relatively high share of hired labor. However Latruffe et al. (2008), using nonparametric methods, reported a negative effect of the ratio of family to total labor on productive performance. The negative and statistically significant impact of this particular variable provides an indication that traditional, family-farming practices are less efficient than practices depending more on hired labor. It appears, therefore, that contractual agreements give adequate incentives to hired labor and/or that family labor tends to be less experienced/efficient than the hired one.

Fourth, a higher ratio of irrigated to total land appears to have a favorable correlation (Figure 5). Table 3 indicates that this finding is significantly different from 0 at a 1%-level. The favorable influence is not surprising. Cereals include a number of different crops such as wheat, corn, rye etc. For some crops grown in Greece (e.g. corn) irrigation is very important; for others (e.g. rye) it is not. The impact of irrigation was also found to be positive in Hassine (2007). Wider irrigated areas affect efficiency favorably, since irrigation generally is considered as a risk-reducing input that tends to increase mean yield and reduce its variability when rainfall is inadequate.

Fifth, and turning now to the discrete environmental factors, we observe in Figure 6 that the value of  $\phi$  corresponding to 1 (Northern Greece) is above the value of  $\phi$  corresponding to 2 (Central Greece) and while the latter is still above the value of  $\phi$  corresponding to 3 (rest of the country). This can be expected since Macedonia and Thrace include the largest and the most fertile plains of the country. This difference is significantly different from zero at a 1%-level (Table 3).

Sixth, we notice in Figure 7 that the cereal farms located in the plains (below 300m) outperform, ceteris paribus, the farms located in altitude between 300m and 600m and in high grounds (above 600m). This difference is, nevertheless, not significantly different from 0. This finding is in line with Madau (2007) for cereal farms in Italy.

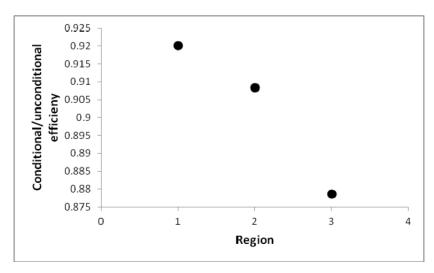


Figure 6. Partial Regression Plot: Impact of Region.

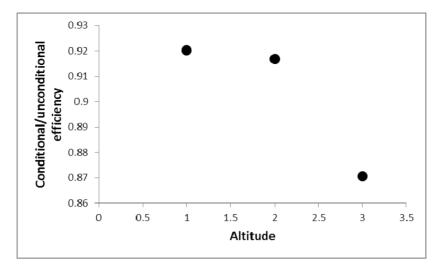


Figure 7. Partial Regression Plot: Impact of Altitude.

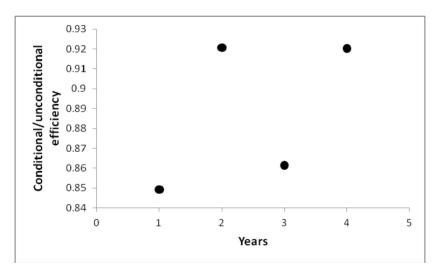


Figure 8. Partial Regression Plot: Impact of Years.

Finally, from Figure 8 follows that the value of  $\phi$  corresponding to 2 (year 2009) is above all other values, followed by the value of  $\phi$  corresponding to 4 (year 2011); the value of  $\phi$  corresponding to 3 (year 2010) is only above value of  $\phi$  corresponding to 1 (year 2008). The statistical significance of the time variable at a 1% level (Table 3) justifies the use of panel data instead of four separate cross sections in the empirical analysis of efficiency. This constitutes that the four year period is a period that takes place a dynamic formation of the decision making process.

	p-value	Impact as Revealed from the Partial Regression Plot	Conclusion (using the p-value and the evidence from the partial regression plot)		
Owners' Age	0.384	Favorable	No statistically significant effect of the owner's age on productive per- formance		
Owned to Total Land	0.046 **	Unfavorable	Negative and statistically significant effect of the ratio of owned to total land on productive performance		
Family to Total La- bor	0.032 **	Unfavorable	Negative and statistically significant effect of the ratio of family to total labor on productive performance		
Irrigated to Total Land	<2e-16 *	Favorable	Positive and statistically significant effect of the ratio of irrigated to total land on productive performance		
Year	<2e-16 *	Year 2009 is favorable	Positive and statistically significant effect of the year 2009		
Region	0.001 *	Location in Northern Greece is favorable	Positive and statistically significant effect of a Northern region on produc tive performance		
Altitude	0.250	Location in altitude < 300m is favorable	No statistically significant effect of altitude on productive performance		

Table 3. Nonparametric Significance Tests

Where \* (\*\*) (\*\*\*) denotes statistically significant at the 1% (5%) (10%) level, respectively

# 4. Conclusions and Policy Implications

EU faces the challenge of a new economic environment, of climate- related and technological changes but also diversity in agriculture between Member States. Under this context, the EU 2020 strategy regarding the CAP should take into account these perspectives. An option suggested by the European Commission involves a shift from the present status (different level of aid per country) towards an EU average with the same level of aid per hectare in each EU country. This policy is unfavorable for those countries that now are situated above the EU average aid (as is Greece). In addition, there is a significant deviation between the agricultural input-output prices. Insights in the relative efficiency could allow managers and policy makers to offset the potential losses, exploiting utmost the given resources.

In this context, the present work investigates the performance of cereal farms in Greece using panel data from the FADN of the EU. We examine relative efficiency by a recently developed fully nonparametric robust partial frontier technique: the  $\alpha$ -quantile estimator. We apply a procedure to allow for the inclusion of mixed (both continuous and discrete) environmental/exogenous variables. This so-called 'conditional  $\alpha$ -quantile estimator' is convenient for the setting at hand as (1) it does not require an a

priori specification on the agricultural production function, (2) mitigates the influence of random shocks (e.g., due to weather) and (3) allows us to examine the correlation with farm-specific factors which influence the relative efficiency scores.

The results can be structured along three lines. First, the unconditional estimates indicate considerable efficiency differentials among the 632 farms in the sample. 15.98% of the firms are classified as very inefficient, 10.44% are classified as 'super-efficient' and 32.12% lie on the respective unconditional *a*-quantile frontiers. The conditional estimates, however, suggest that a large part of the efficiency differentials disappear once the operational environment is accounted for. Indeed, on the basis of the conditional estimates, 94.94% lie on the respective conditional *a*-quantile frontiers while no farms are classified as 'super-efficient'.

Second we reveal which control variables have a significant influence on efficiency. On the basis of partial regression plots, the ratio of owned to total land and of family to total labor appeared to have an unfavorable impact on productive performance, while the farmer's age, the ratio of irrigated to total land, the location in the Northern regions and in low altitude appeared to have a favorable impact. Also farms from year 2009 outperform farms from all other years. Nevertheless, for only five of the above environmental/exogenous factors the effect is statistically significance at the conventional levels. Taken together, the nonparametric regression plots and the significance tests appear to suggest that irrigation and concentration of production to regions and locations offering natural comparative advantage would benefit the sector. The same is true for the lower ratio of owned to total land and of family to total labor. The time variable included in the empirical analysis turned out to be statistically significant suggesting that efficiency in cereal farms in Greece is not constant but it may changes from one period to another.

Third, some of our results are different from previous studies that followed parametric estimations. We observed different finding regarding the unfavorable impact of the ratio of family to total labor on a farm's productive performance which is in contrast with the findings of Tzouvelekas et al. (2002) and Giannakas et al. (2001). Also the unfavorable influence on efficiency of the ratio of owned to total land reported here is different with earlier parametric literature findings (Tzouvelekas et al., 2002; Barnes, 2008). These differences may arise from the parametric assumptions made in earlier studies.

#### Policy implications

This paper has three major policy implications. First, rural development programs for cereals production should at least compensate for the firm-specific variables which have been shown to influence efficiency. The robust theory used here reveals which variables have a positive or negative effect on efficiency. Programs focused on rural development could accordingly compensate for the unfavorable or the favorable environment depending on the policy priorities. This implies a utilitarian approach for policy implementation.

Second, the results indicate that family labor tends to be less experienced/efficient than hired one. Hired labour might be more qualified and more able to perform specialized tasks than family labor. This justifies the funding of education and training programs for family members or the development of a consultant and advisory network for the farmers. Third, figures 6 and 7, taken together, provide evidence that cereals production in Greece would be benefit from further concentration into regions and locations offering natural comparative advantage. The subsidies should be directed into this direction.

# Further research

As mentioned in the Introduction, the implemented methodology is very suitable for measuring and explaining efficiency differentials when output is subject to random shocks. The standard stochastic frontier models, however, also allow for the presence of random shocks. A potential avenue for future research, therefore, may involve comparisons of the results obtained from the application of the two alternative methodologies on the same sample of decisions making units. This will probably provide an answer to the question whether the flexibility offered by the partial frontier models (no need to specify a functional form or to make distributional assumptions) justifies the much higher computational cost involved in their application. As a second research avenue, one can apply this specific methodology as a policy evaluation instrument to other fields entangling decision making units and suffer from random shocks (e.g., banking, education or hospitals). To facilitate this, the R code is available upon request.

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# **TECHNICAL APPENDIX**

#### A. Empirical Implementation of the Unconditional a-Quantile Estimator

Daouia and Simar (2007) propose the following procedure:

output efficiency score for the unit operating at level (x, y) is then

Define  $\rho_i = \min_{l=1,...,q} \frac{y_i^l}{y^l}$ , i = 1,...,n, and let  $N_x = n \hat{H}_{XY,n}(x,0)$  where  $\hat{H}_{XY,n}$  is the nonparametric estimator of the joint probability function in (2), that is,  $\hat{H}_{XY,n}(x,y) = \frac{\sum_{i=1}^{n} l(x_i \le x, y_i \ge y)}{n}$  whereas  $\hat{H}_{XY,n}(x,0)$  is the nonparametric estimator of the distribution function of X. For  $j = 1,...,N_X$  denote by  $\rho_{(j)}^x$  the *j* th order statistic of  $\rho_i$  such that  $x_i \le x : \rho_{(1)}^x \le ... \le \rho_{(N_x)}^x$ . The nonparametric estimate of the  $\alpha$ -quantile

(A.1) 
$$\hat{\lambda}_{\alpha,n}(x,y) = \begin{cases} \rho_{(\alpha N_x)}^x, & \alpha N_x \in N^* \\ \rho_{([\alpha N_x]+1),}^x, & \alpha N_x \notin N^* \end{cases}$$

with  $N^*$  being the set of positive integers and  $[\alpha N_x]$  being the integral part of  $\alpha N_x$ .

# B. Empirical Implementation of the Conditional a-Quantile Estimator

Daouia and Simar (2007) propose the following procedure. For  $j = 1,...,N_x$ , denote by  $Z_{[j]}^X$  the observation  $Z_i$  corresponding to the order statistic  $\rho_{(j)}^x$  and let  $R_{X,Z} = \sum_{i=1}^n 1(X_i \le x) K_{h_n}(\frac{z-Z_i}{h_n}) > 0$ , where K is a kernel with compact support and  $h_n$  is

the bandwidth of appropriate size. The nonparametric estimate of the conditional  $\alpha$  - quantile output efficiency score is then:

$$(B.1) \quad \hat{\lambda}_{\alpha,n}(x,y|z) = \begin{cases} \rho_{(k)}^{x}, & L_{k+1} \le 1 - \alpha < L_{k} \quad (k = 1,...,N_{x} - 1) \\ \rho_{(N_{x}),}^{x} & 0 \le 1 - \alpha < L_{N_{x}} \end{cases}$$

with  $L_{k+1} = (\frac{1}{R_{XZ}})(\sum_{j=k+1}^{N_x} K(\frac{z - Z_{[j]}^X}{h_n})).$ 

#### C. Statistical Inference on the Impact of Environmental Factors

The test statistic for continuous components of Z is written as  $I_s = E(\{\delta(Z_s)^2\}) = E\{\delta_s^2\}$  and the consistent estimator for this test statistic is derived by substituting the Local Linear estimator for the unknown derivative and using the sample

average of *I* (that is,  $\hat{I}_{s,n} = \frac{\sum_{i=1}^{n} \hat{\delta}(z_{is})^2}{n}$ ). The finite sample distribution of the latter is obtained by a nonparametric bootstrap (Racine, 1997).

The test statistic for discrete components can be developed similarly. In particular, assuming now that a discrete component of Z takes on c different values,  $\{0, 1, \dots, c-1\}$ the null hypothesis of no influence is equivalent to  $g(Z_0, Z_s = l) = g(Z_0, Z_s = 0)$  for all  $Z_o$  and for l = 1, 2, ..., c - 1.

The appropriate test statistic is  $I_s = \sum_{l=1}^{c-1} E[g(Z_o, Z_s = l) - g(Z_o, Z_s = 0)]^2$  with consistent estimator  $\hat{I}_{s,n} = \frac{\sum_{i=1}^{n} \sum_{l=1}^{c-1} [\hat{g}(z_{iO}, z_{is} = l) - \hat{g}(z_{iO}, z_{is} = 0)]^2}{r}$ , where  $\hat{g}$  is the Local Linear

estimator of the conditional mean function at the given values of the variables. The finite sample distribution of the latter is obtained by a nonparametric bootstrap (Racine et al., 2006; De Witte and Kortelainen, 2013).